

Introduction to Neural Coding

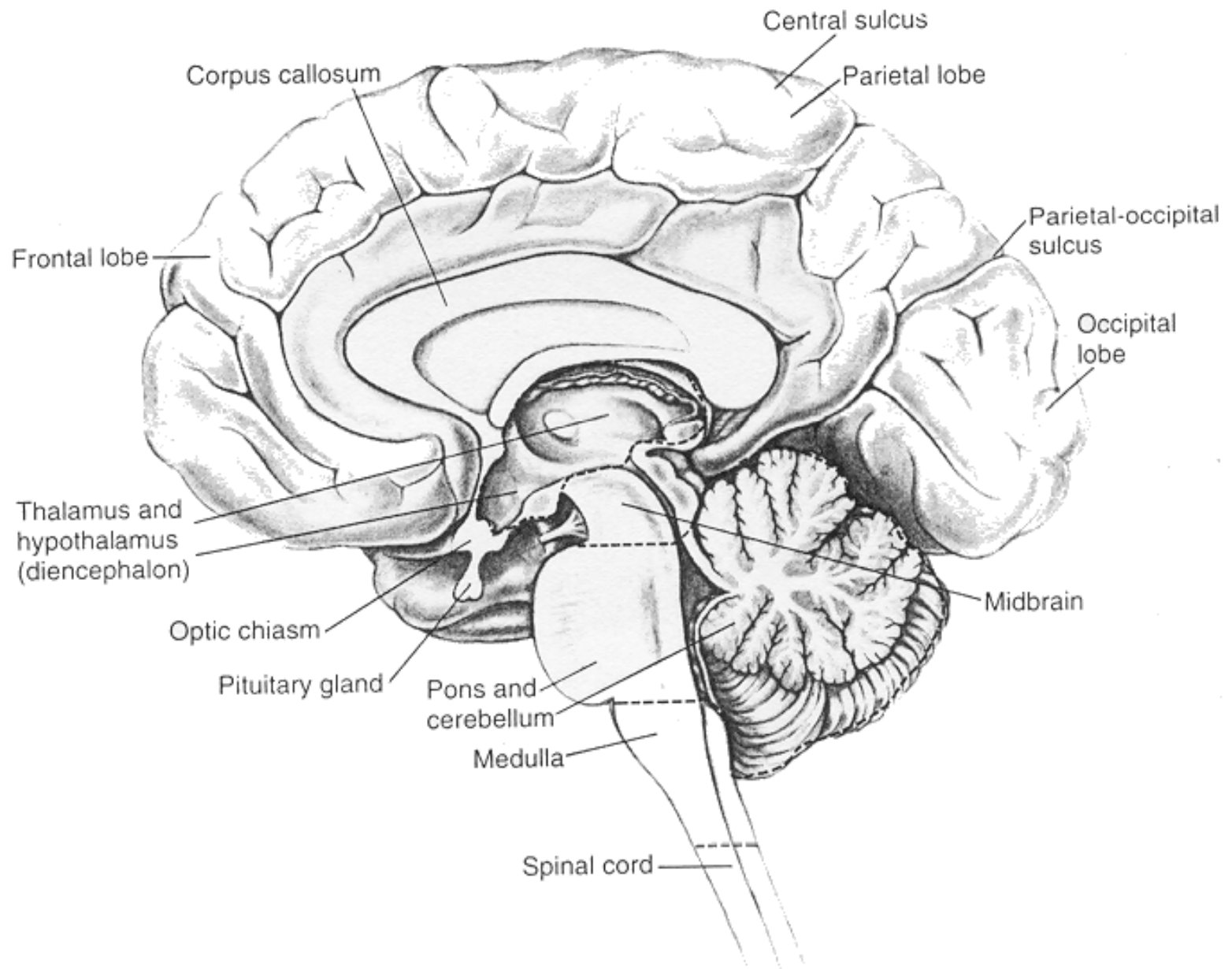
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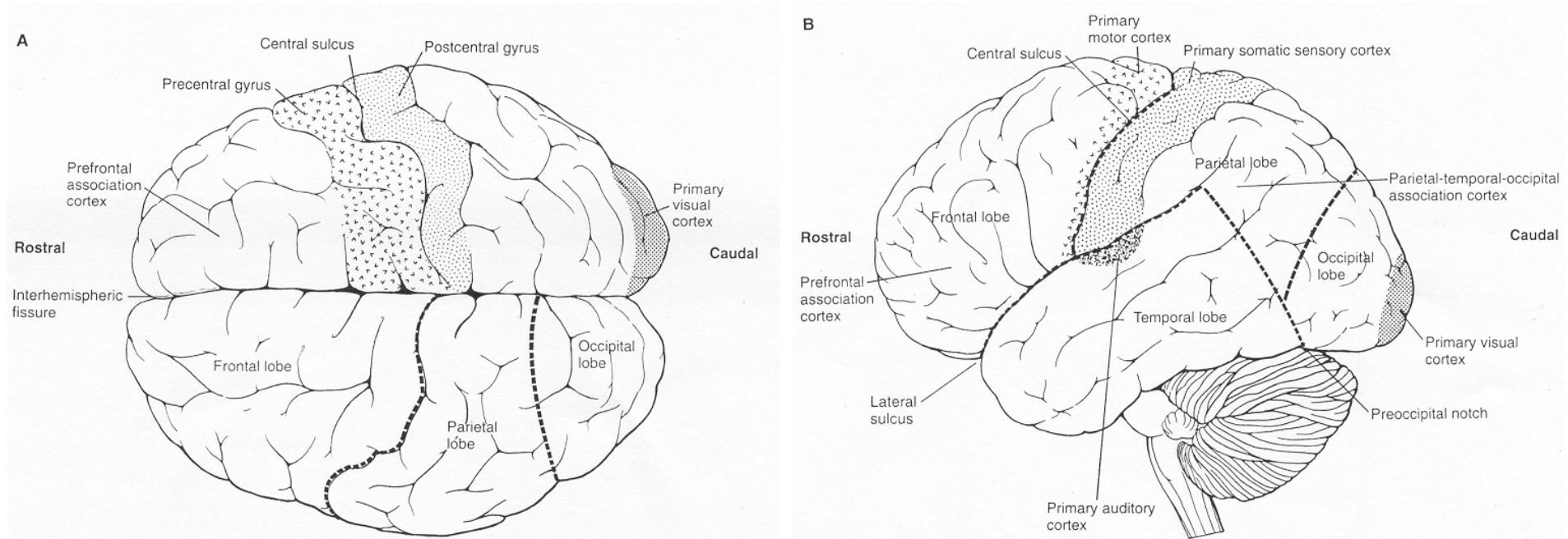
**Gatsby Computational Neuroscience Unit
University College London**

Term 1, Autumn 2008

The CNS

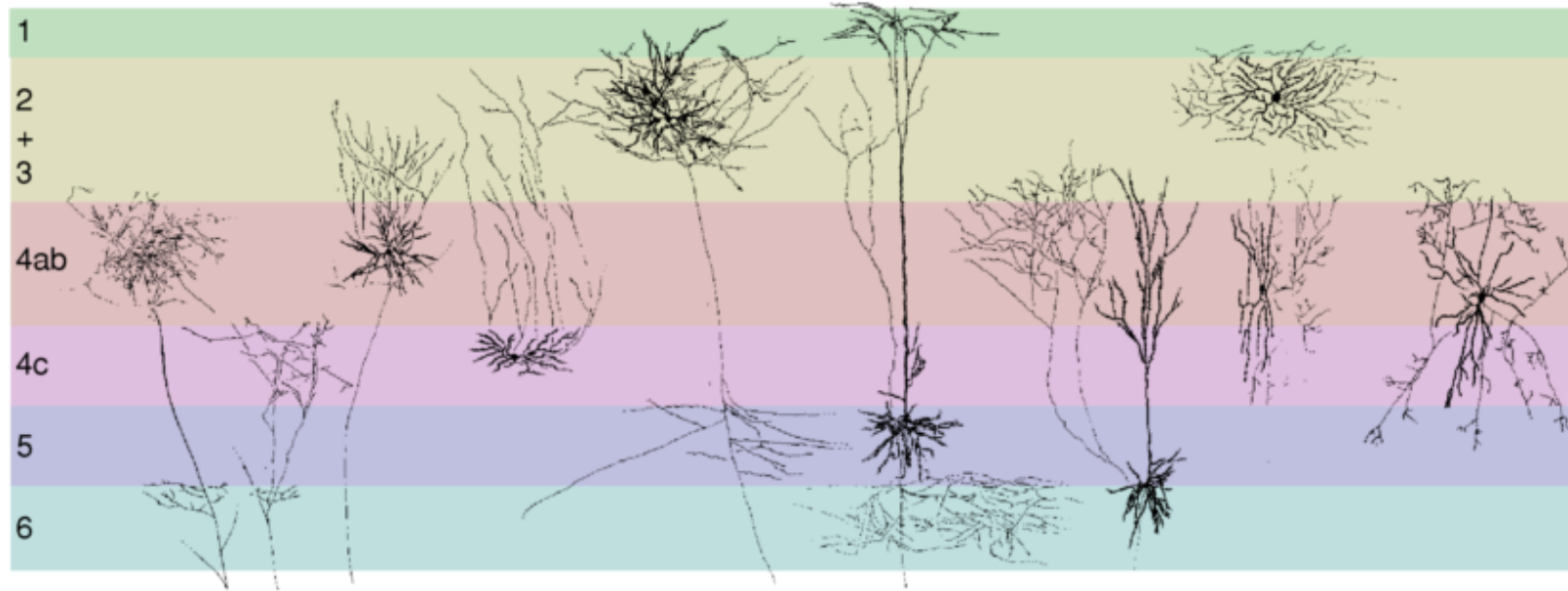


Neocortex

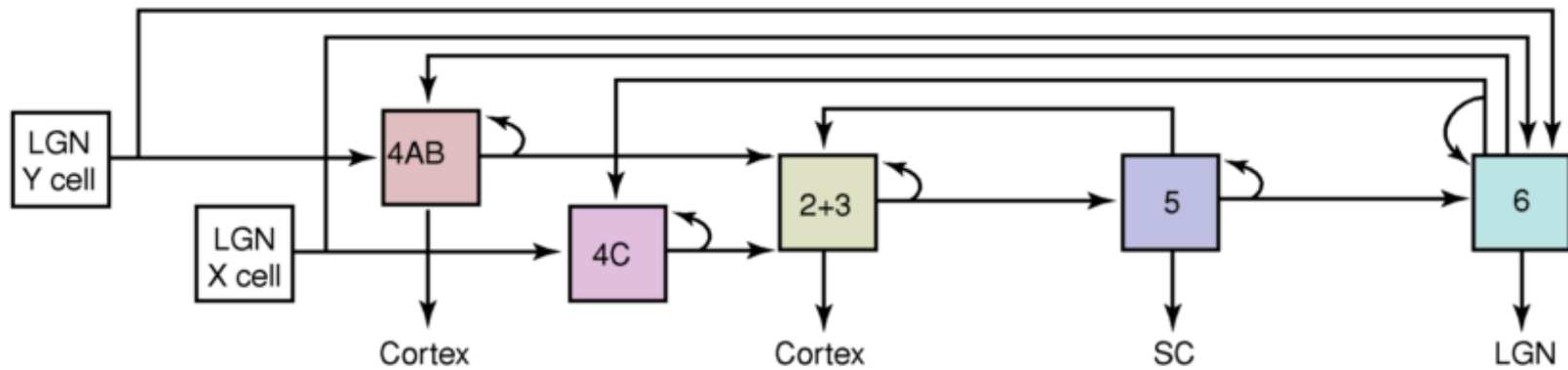


Cortical layers

A



B



Neural signals (in vivo)

Aggregate

- aggregate fields – EEG, MEG, LFP
- aggregate membrane voltage – die imaging
- metabolism – fMRI, PET, intrinsic imaging

Single neuron

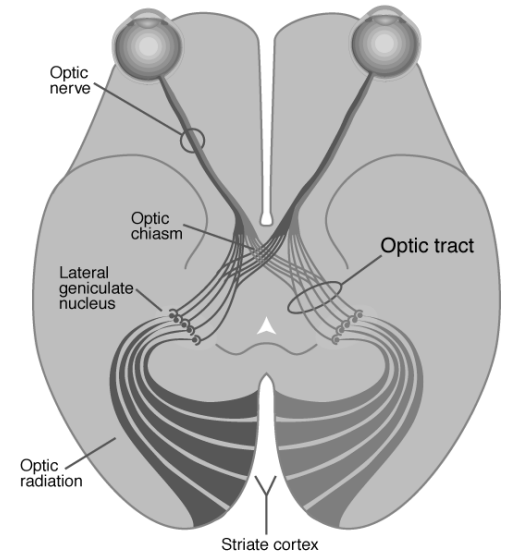
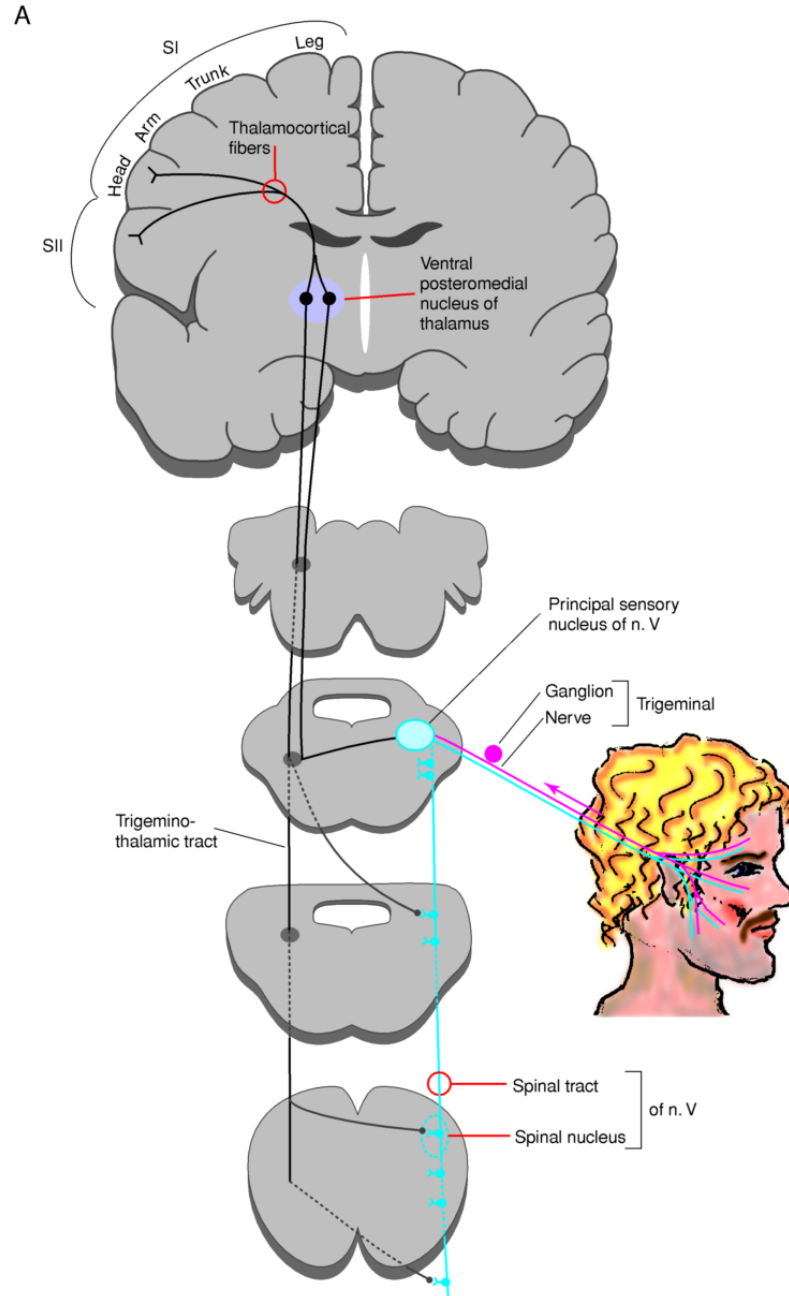
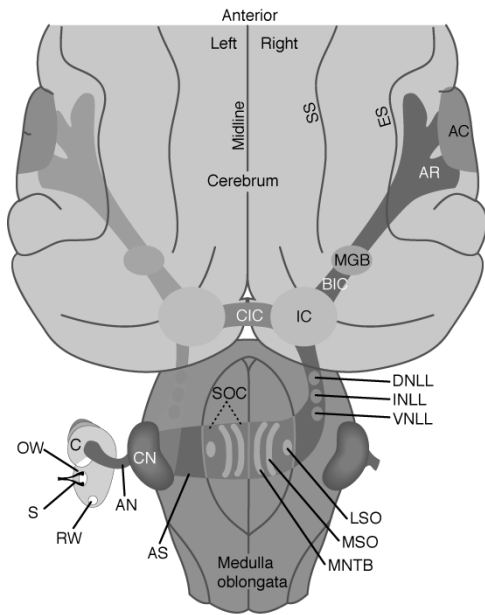
- extracellular – single neuron, spike sorting, cell attach
- intracellular – sharp electrode, whole cell

Senses

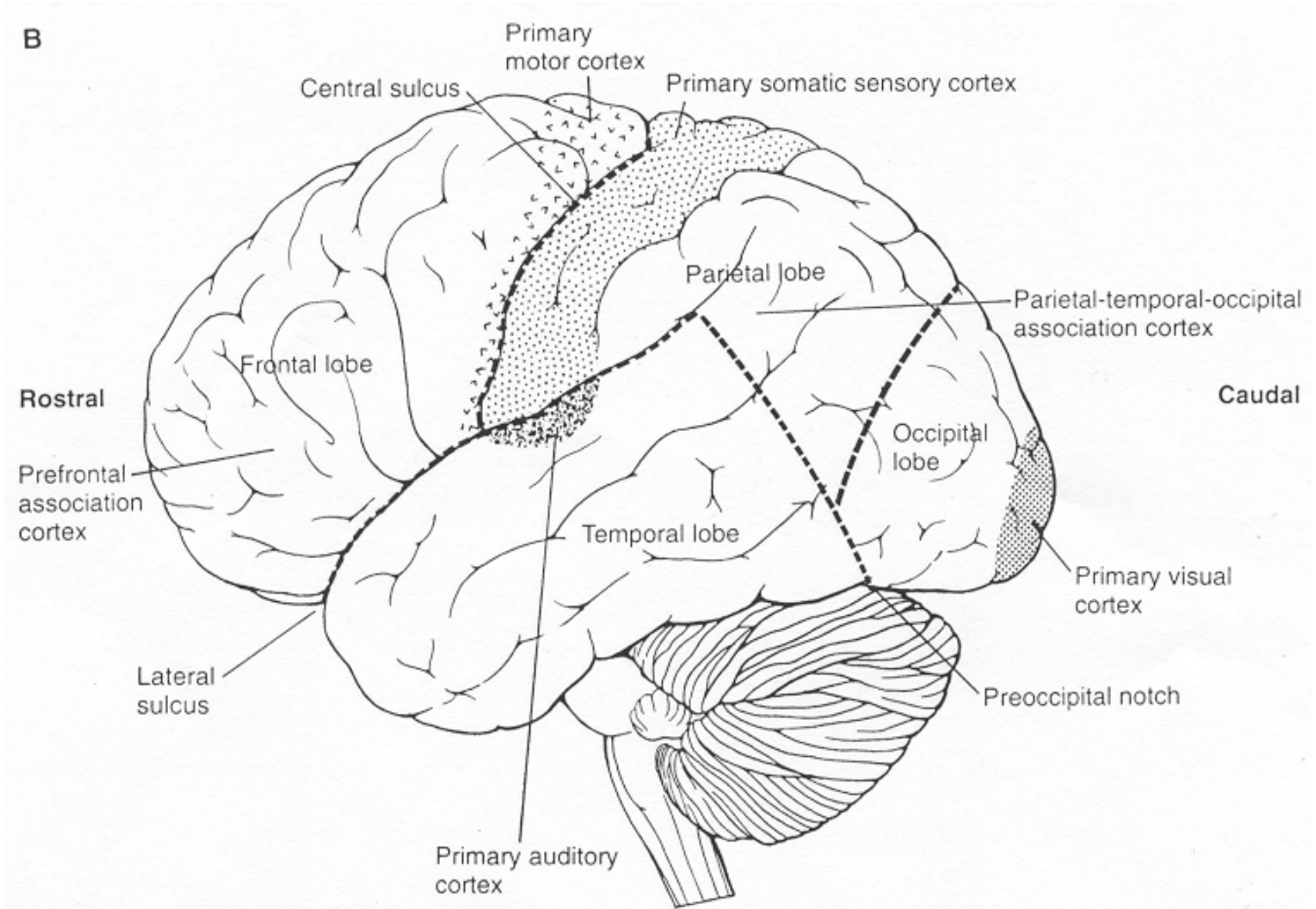
How many senses do you have?

- taste (gustation)
- smell (olfaction)
- hearing (audition)
- sight (vision)
- touch (somatosensation)
- pain (nociception)
- body configuration (proprioception)
- acceleration and balance (vestibular sense)

Neocortical senses



Sensory areas



Common features of neocortical senses

- common pathways: receptors – subctx nuclei – thalamus – primary ctx – higher ctx
- thalamic loops between cortical areas
- feedback
- parallel hierarchy
- alternate pathways – tectal, para-lemniscal

Common processing

- receptor discretisation – sampling
- receptive fields
- contrast sensitivity – Weber's law
- adaptation
 - neural vs. psychological
 - adaptation to higher features
 - mismatch negativity
 - statistical adaptation

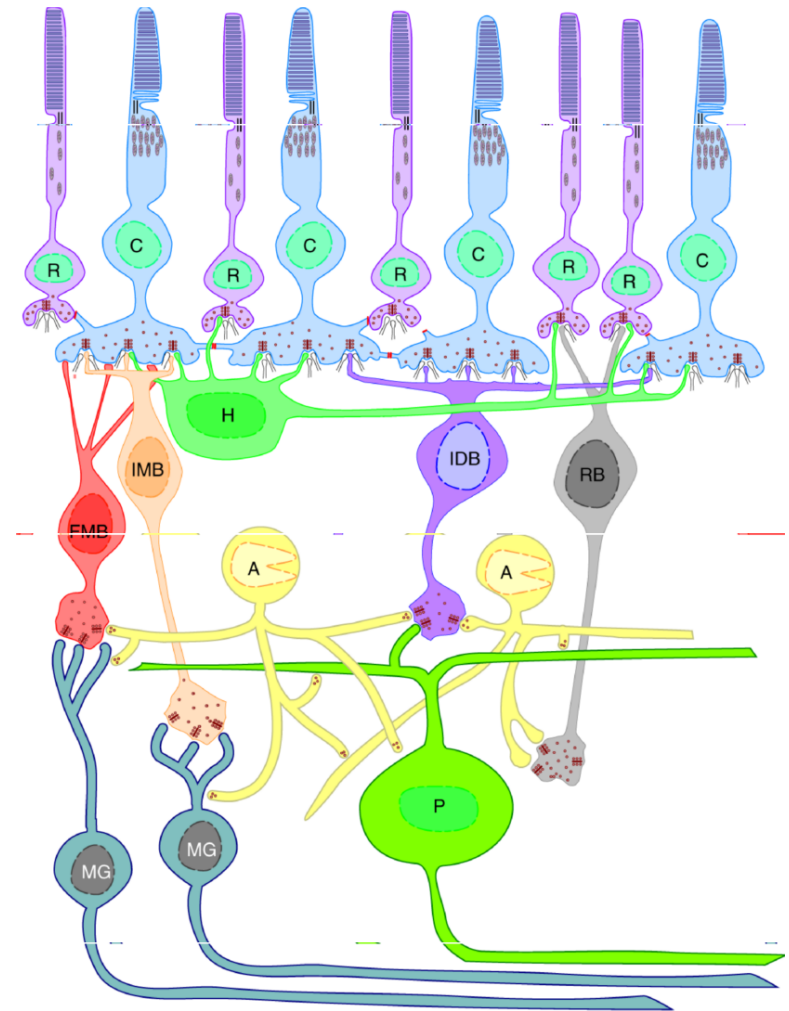
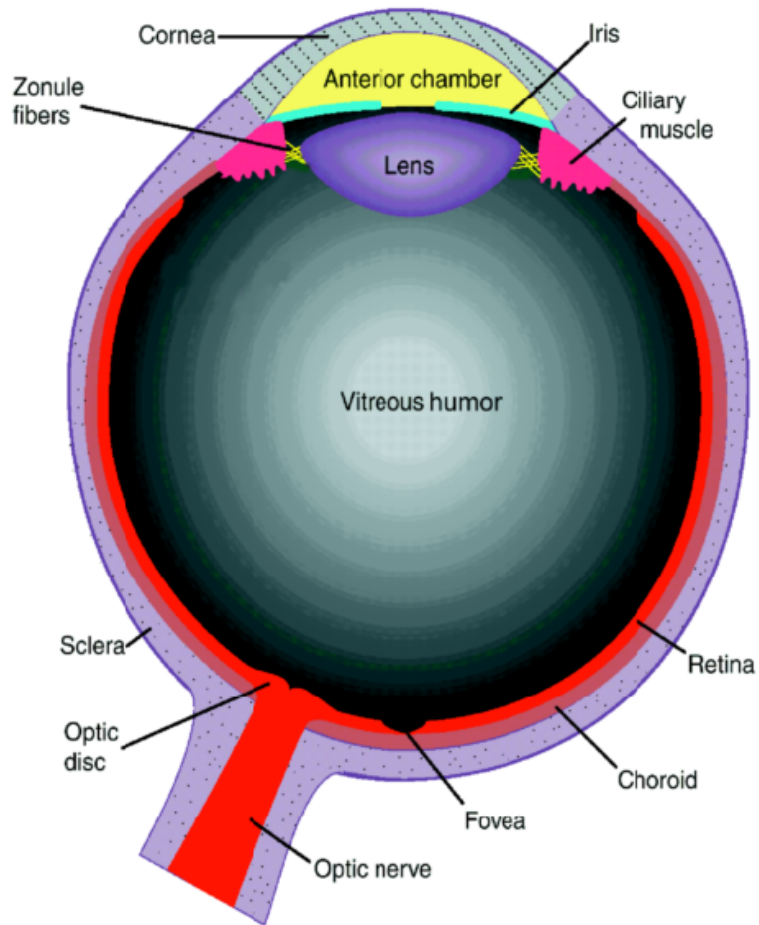
Quantifying responses

- receptive fields
- motor fields
- stimulus-response functions
- sensory computation and encoded variables
- tuning curves

Optimality of coding

- “impedence” matching between different components
- matching to natural statistics
- matching to behaviourally relevant features
- redundancy reduction

The eye and retina

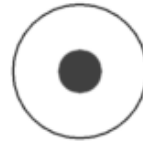


Centre-surround receptive fields

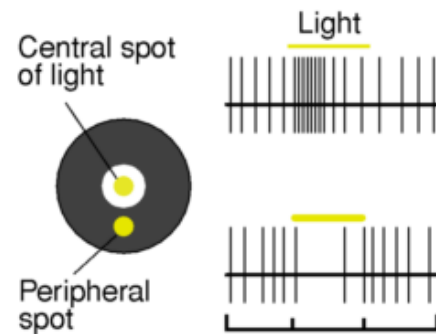
A On center field



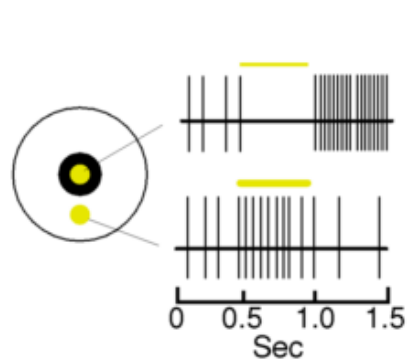
F Off center field



B On center cell responses



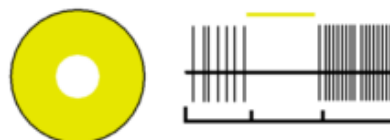
G Off center cell responses



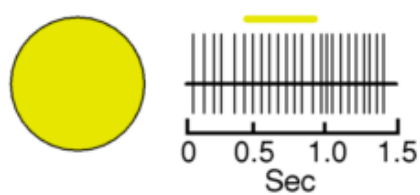
C Central illumination



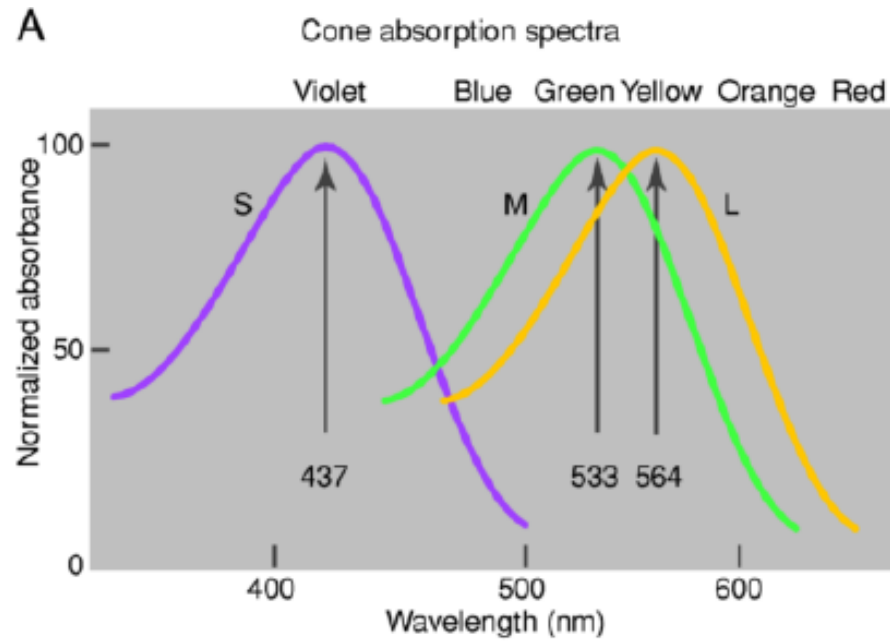
D Annular illumination



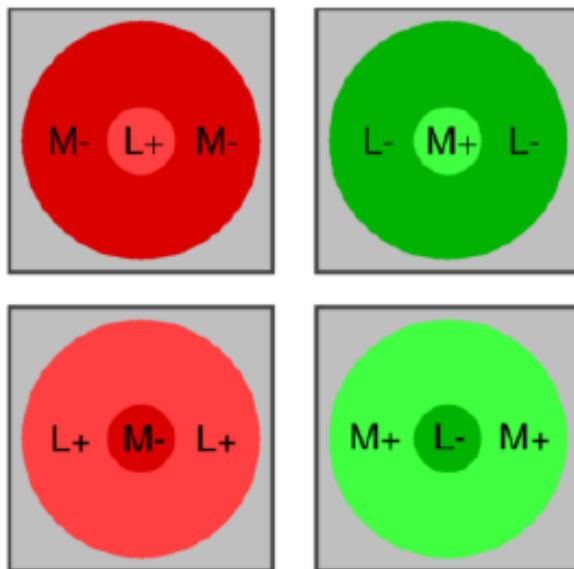
E Diffuse illumination



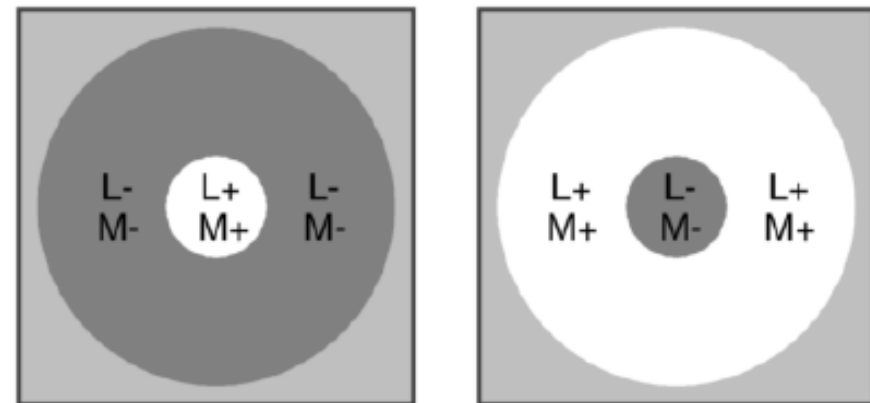
Colour at the retina



B Parvocellular receptive fields



C Magnocellular receptive fields

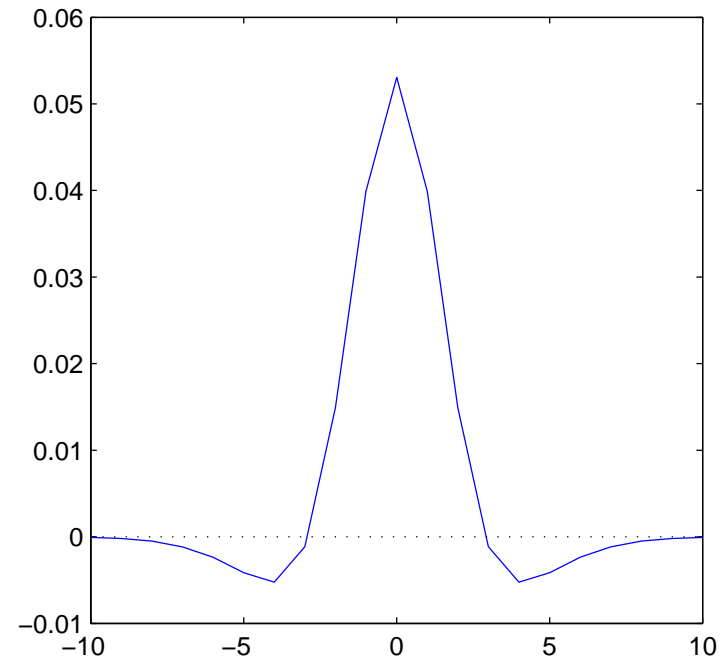
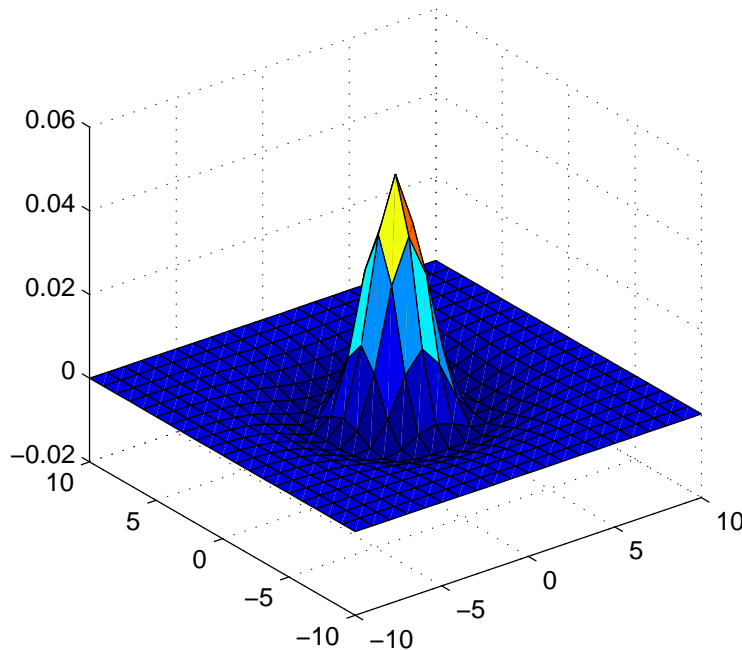


Centre-surround models

Centre-surround receptive fields are commonly described by one of two equations, giving the scaled response to a point of light shone at the retinal location (x, y) .

A difference-of-Gaussians (DoG) model:

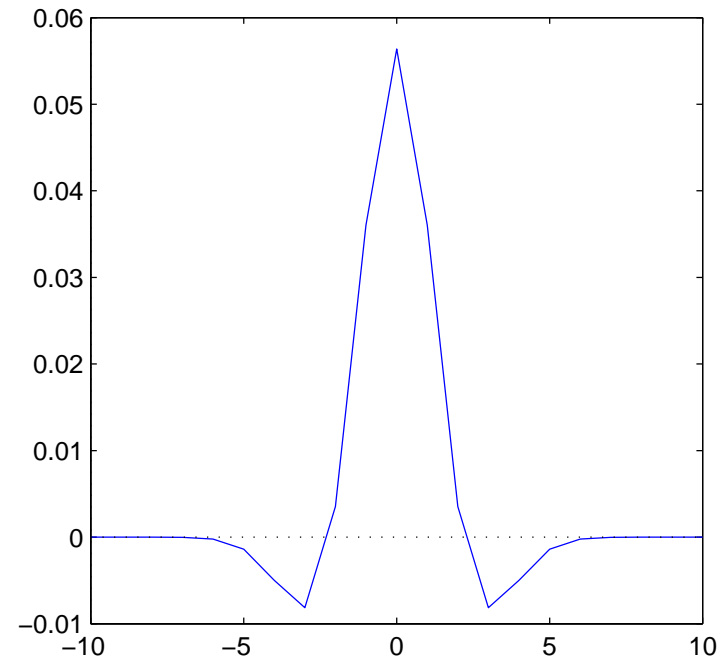
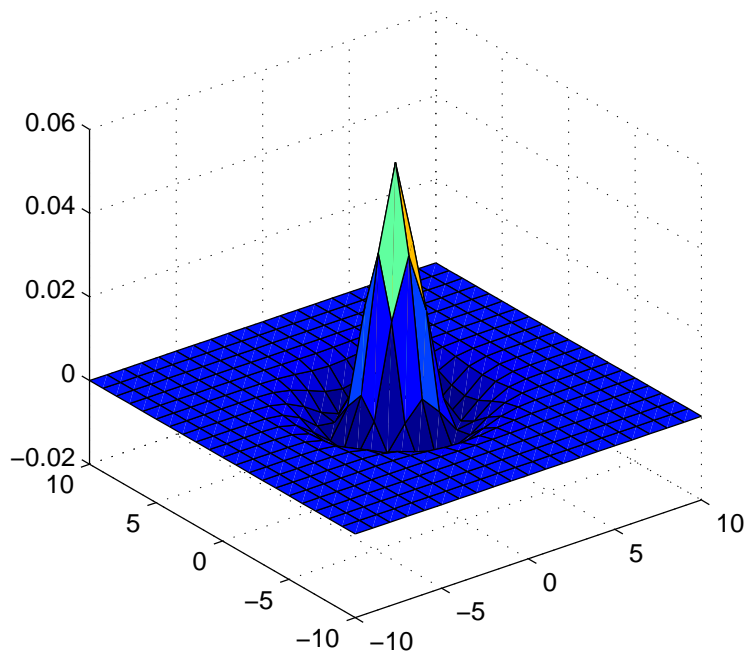
$$D_{\text{DoG}}(x, y) = \frac{1}{2\pi\sigma_c^2} \exp\left(-\frac{(x - c_x)^2 + (y - c_y)^2}{2\sigma_c^2}\right) - \frac{1}{2\pi\sigma_s^2} \exp\left(-\frac{(x - c_x)^2 + (y - c_y)^2}{2\sigma_s^2}\right)$$



Centre-surround models

... or a Laplacian-of-Gaussian (LoG) model:

$$D_{\text{LoG}}(x, y) = -\nabla^2 \left[\frac{1}{2\pi\sigma^2} \exp \left(-\frac{(x - c_x)^2 + (y - c_y)^2}{2\sigma^2} \right) \right]$$



Linear receptive fields

The linear-like response apparent in the prototypical experiments can be generalised to give a predicted firing rate in response to an arbitrary stimulus $s(x, y)$:

$$r(s(x, y)) = \int dx dy D(x, y)s(x, y)$$

The receptive field centres (c_x, c_y) are distributed over visual space. If we let $D()$ represent the RF function centred at 0, instead of at (c_x, c_y) , we can write:

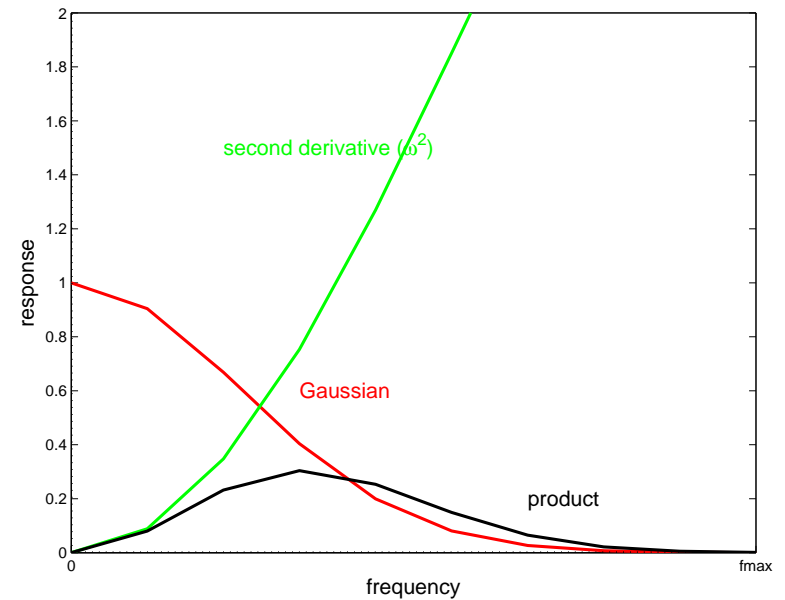
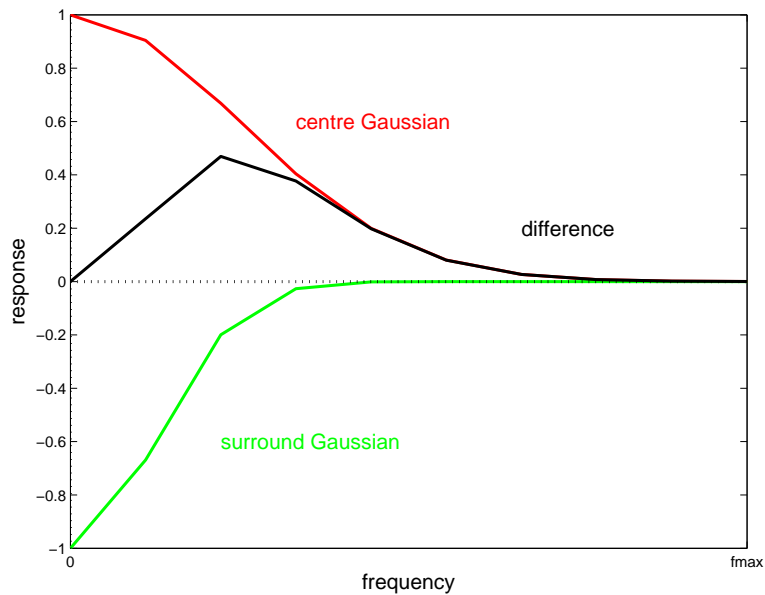
$$r(c_x, c_y; s(x, y)) = \int dx dy D(c_x - x, c_y - y)s(x, y)$$

which looks like a convolution.

Frequency effects

Thus a repeated linear receptive field acts like a spatial filter. We can consider its frequency response.

Both DoG and LoG models are bandpass. Taking 1D versions:



Edge detection

Bandpass filters emphasise edges:



original image

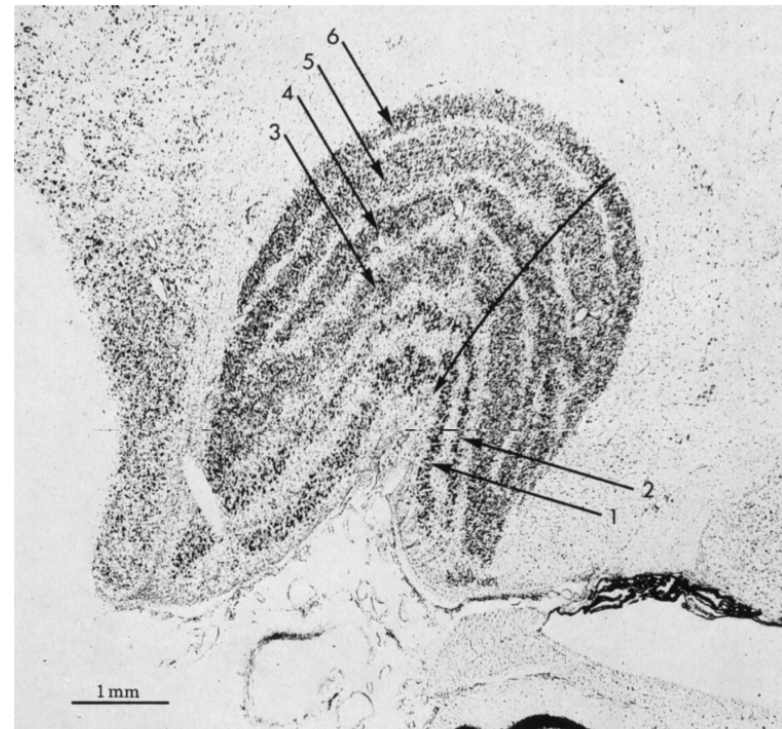
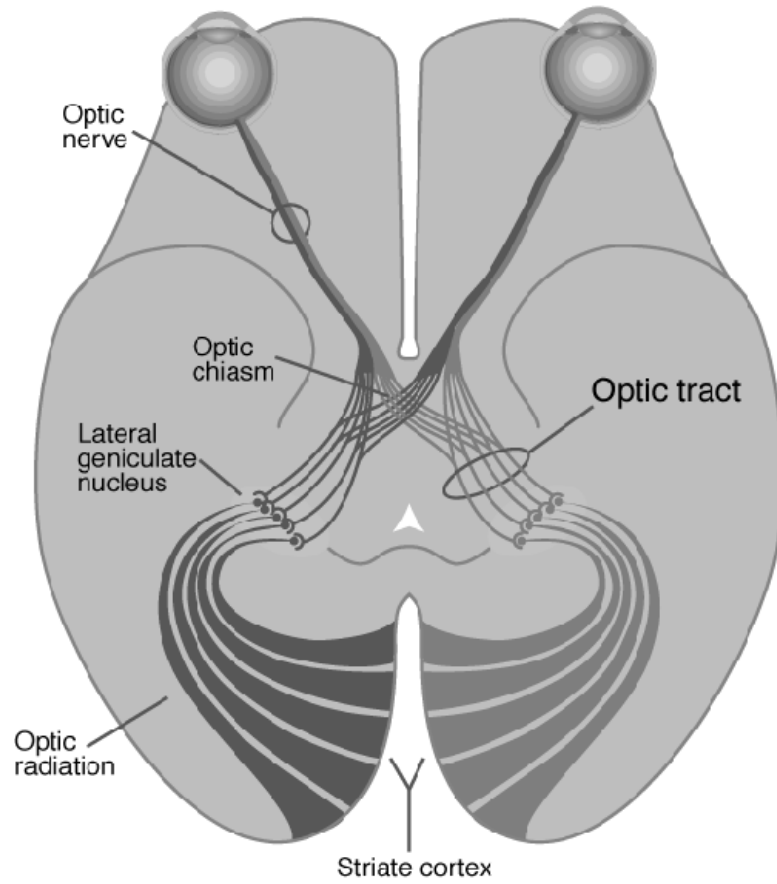


DoG responses



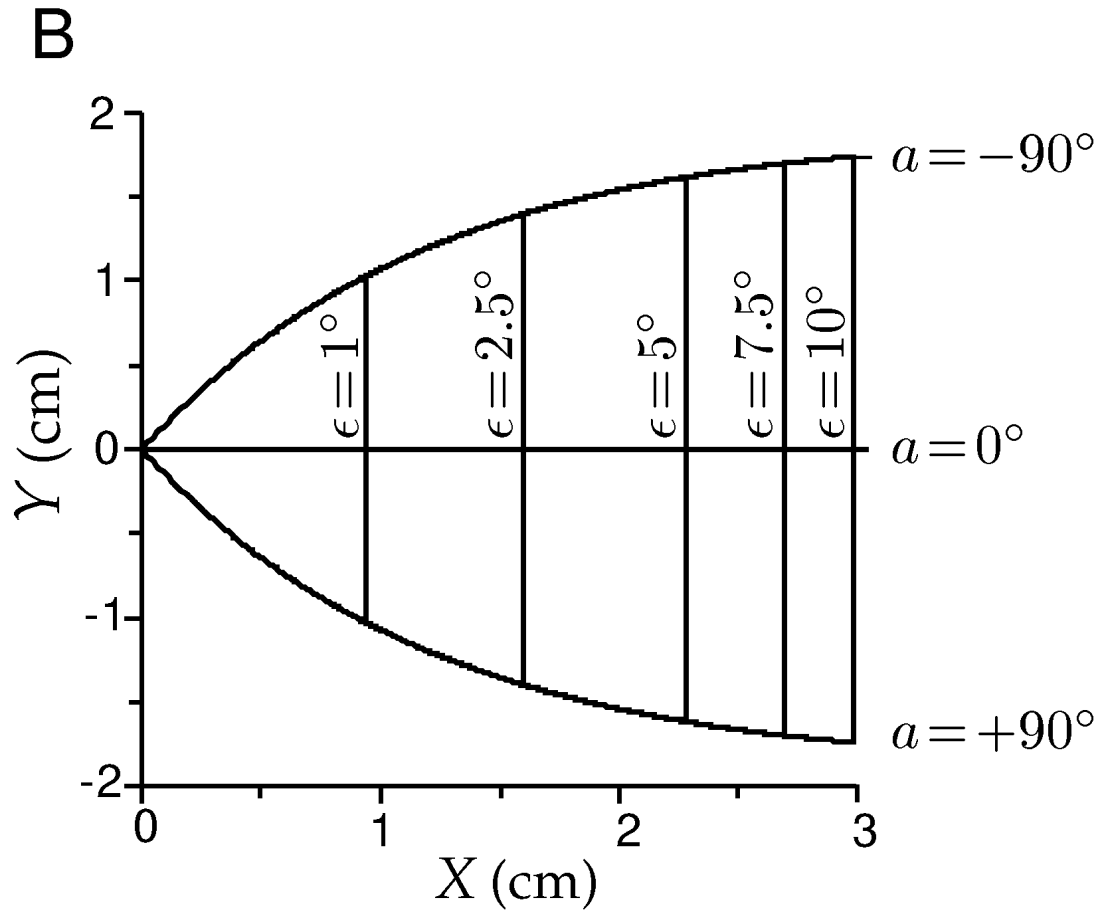
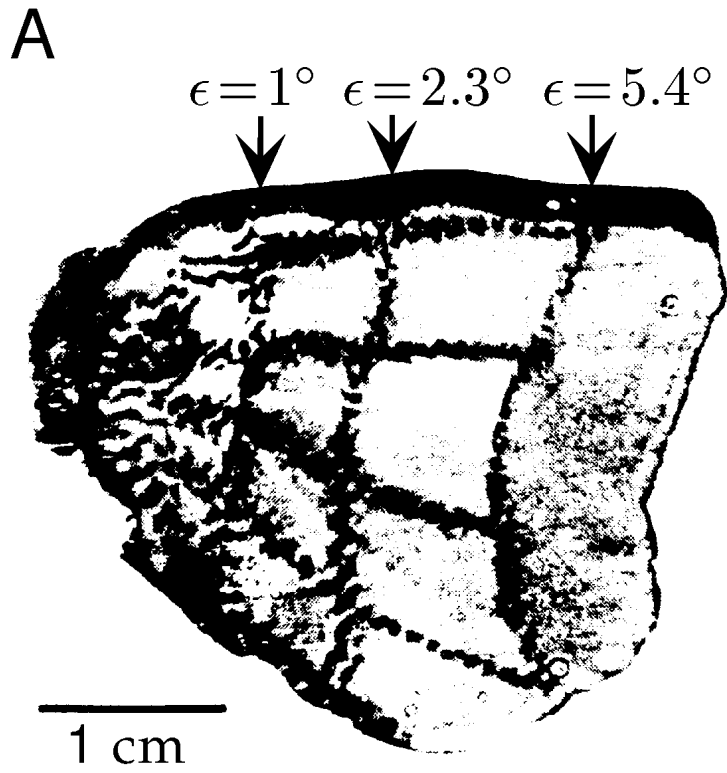
thresholded

Thalamic relay

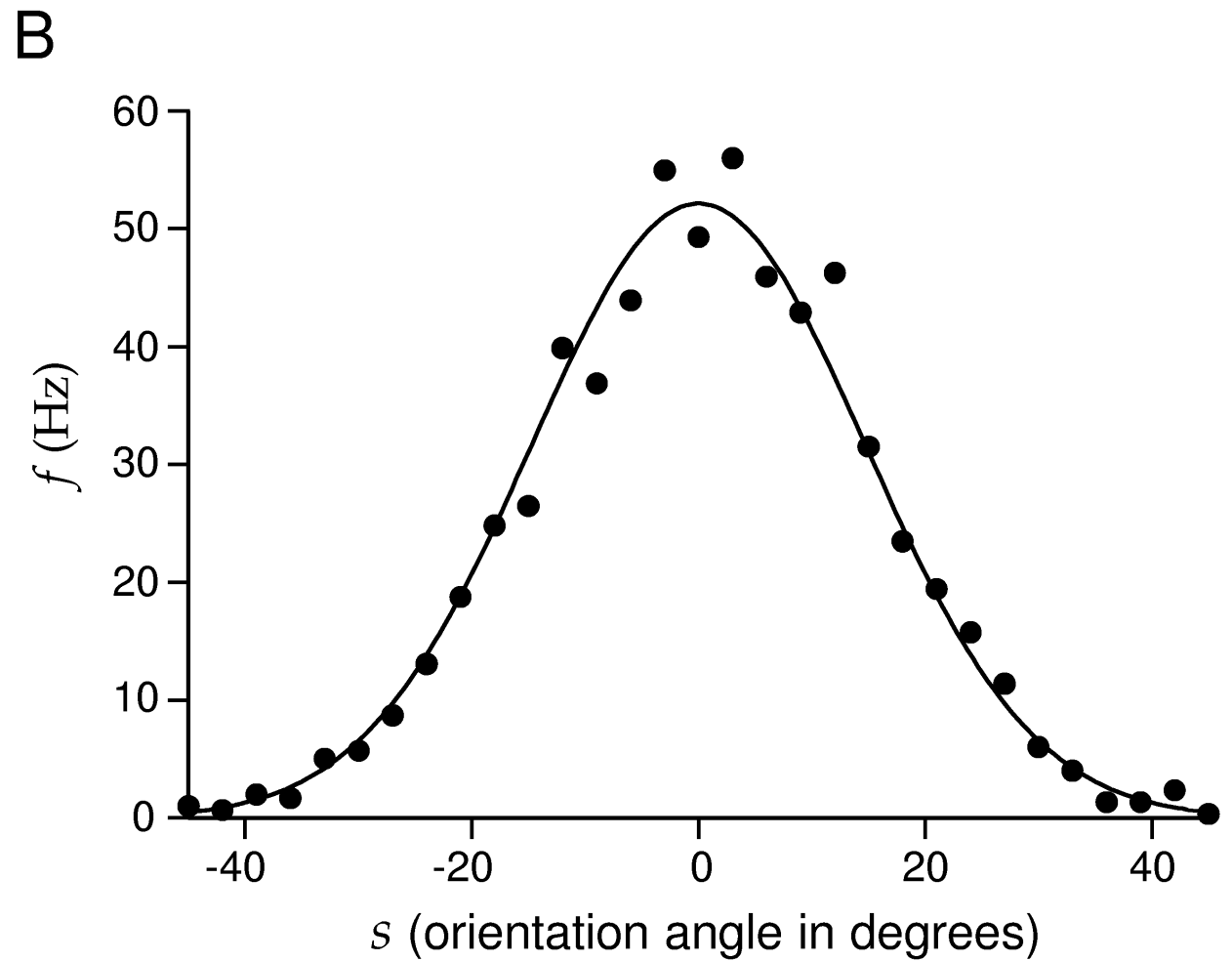
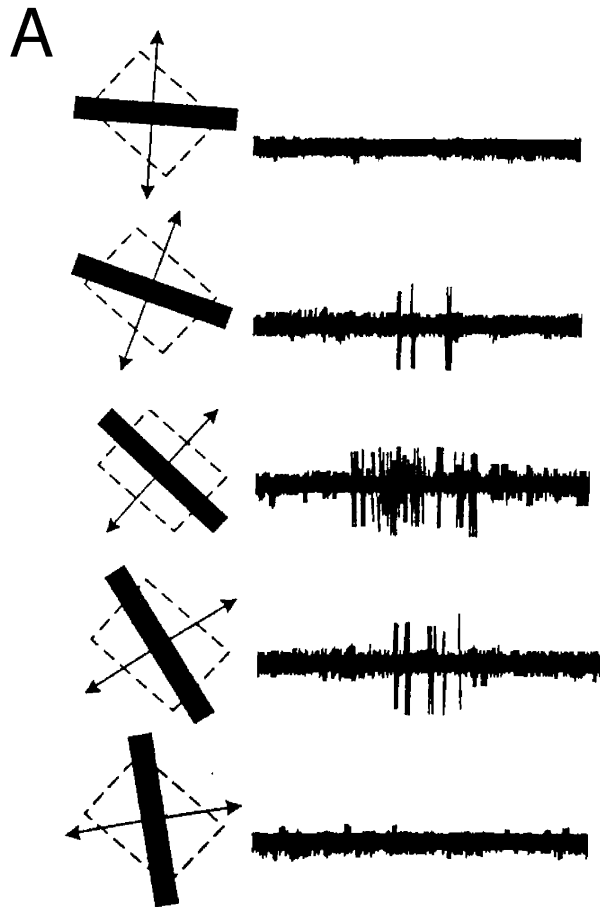


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Visual cortex



Orientation selectivity



Linear receptive fields – simple cells

Linear response encoding:

$$r(t_0, s(x, y, t)) = \int_0^\infty d\tau \int dx dy s(x, y, t_0 - \tau) D(x, y, \tau)$$

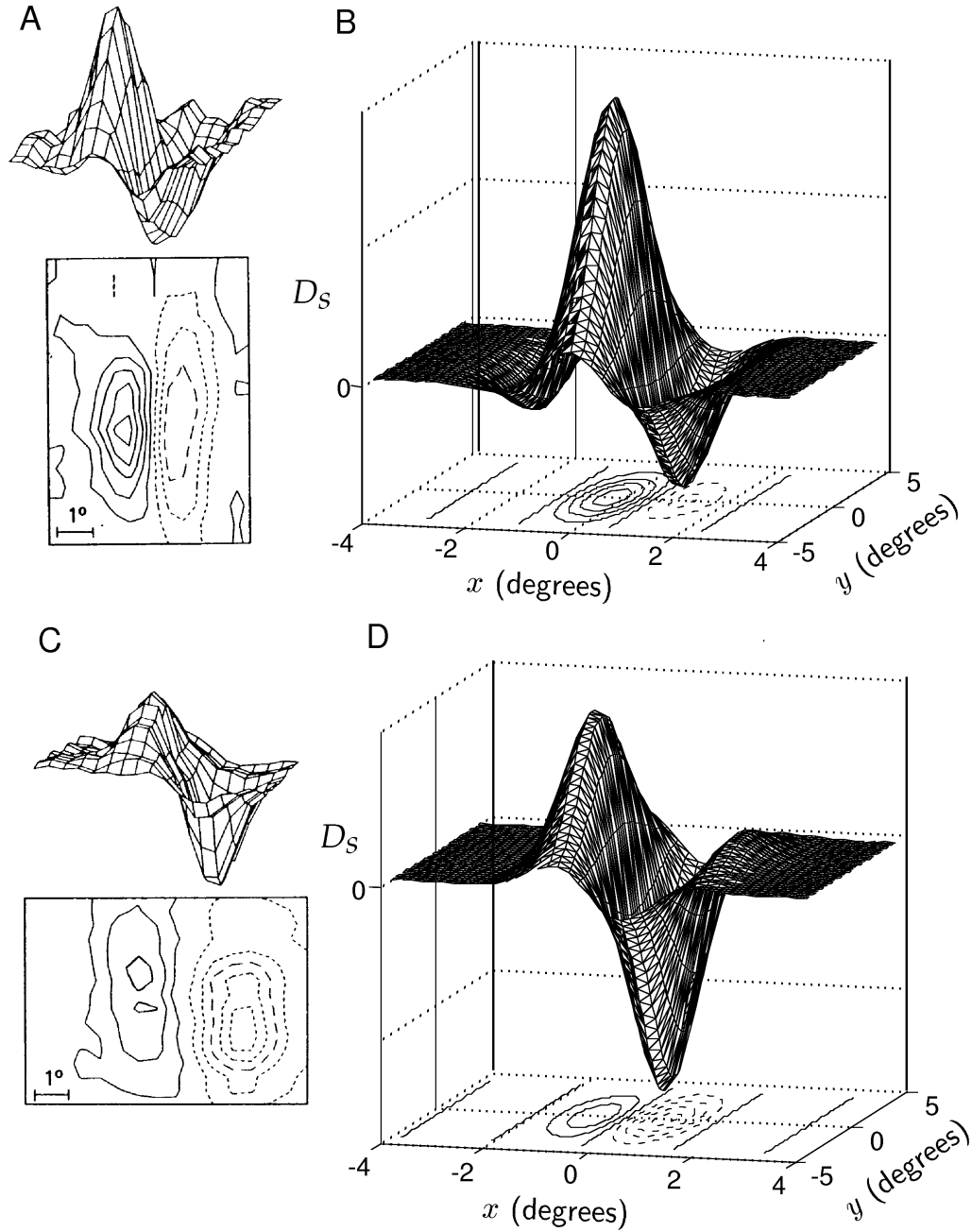
For separable receptive fields:

$$D(x, y, \tau) = D_s(x, y) D_t(\tau)$$

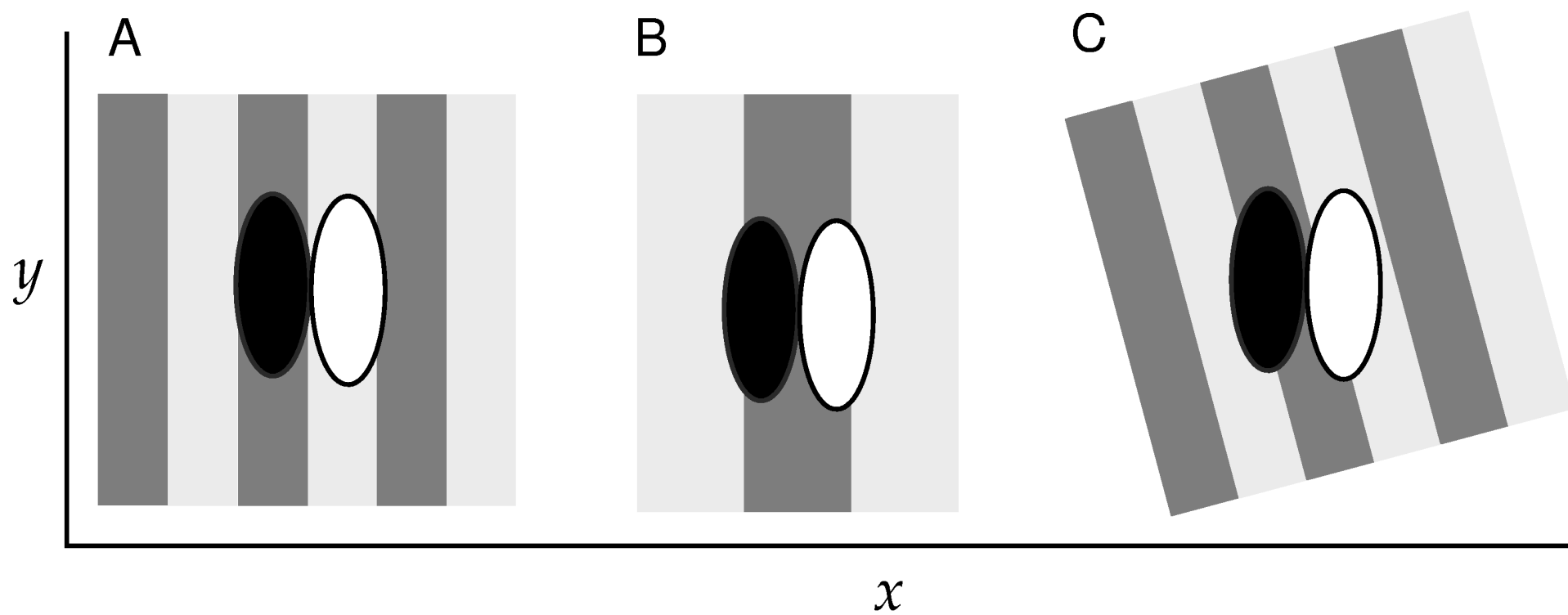
For simple cells:

$$D_s = \exp\left(-\frac{(x - c_x)^2}{2\sigma_x^2} - \frac{(y - c_y)^2}{2\sigma_y^2}\right) \cos(kx - \phi)$$

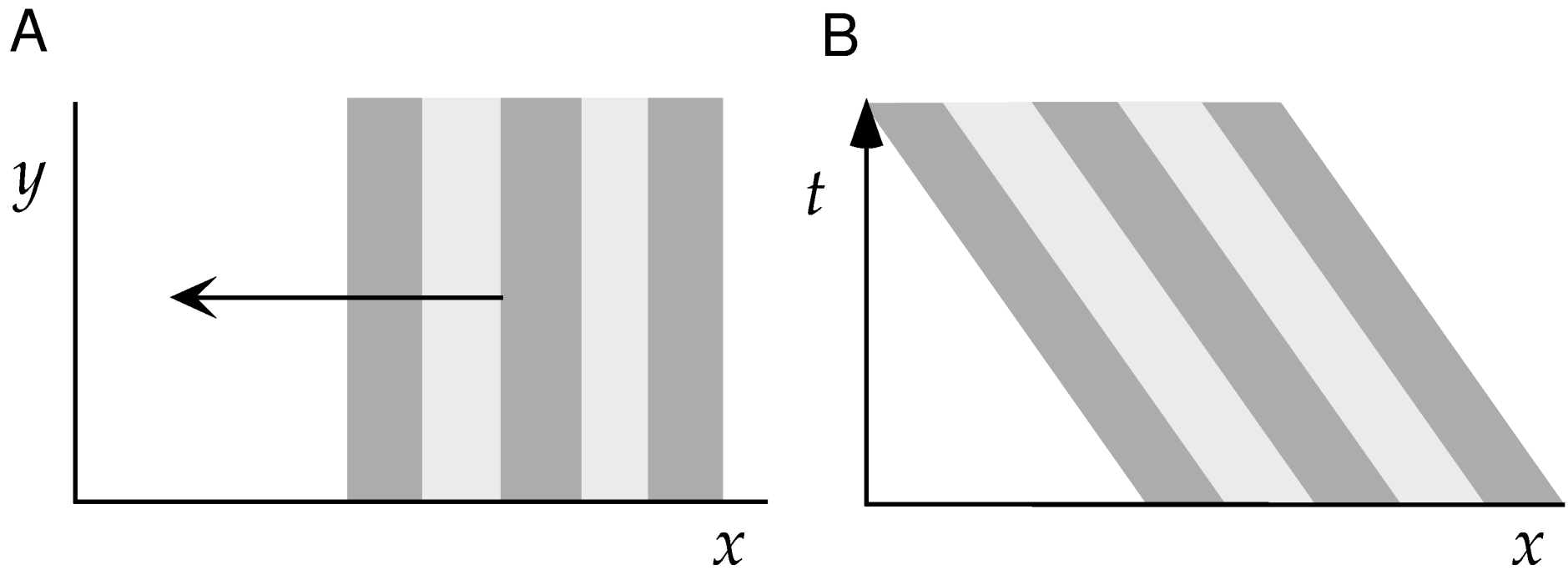
Linear response functions – simple cells



Simple cell orientation selectivity

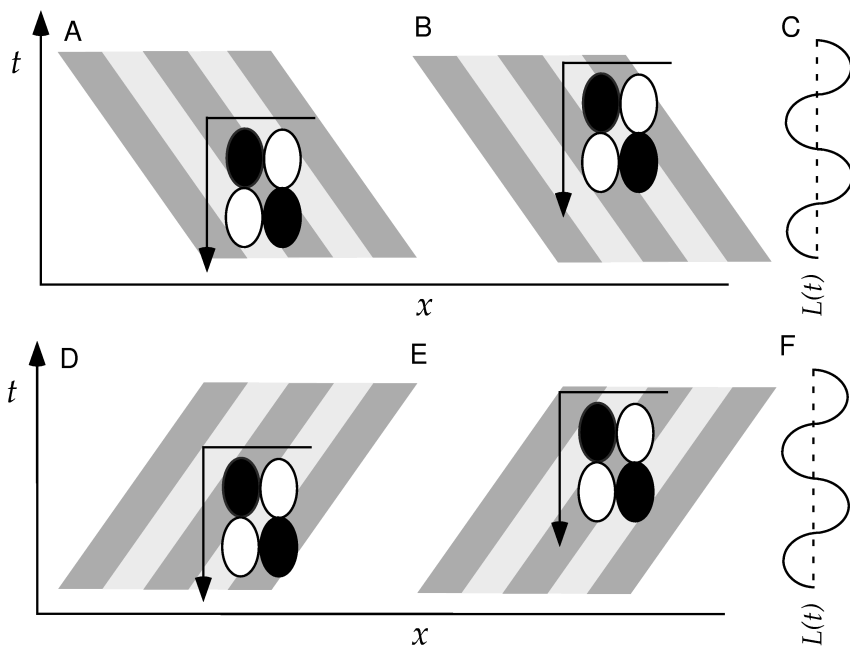


Drifting gratings

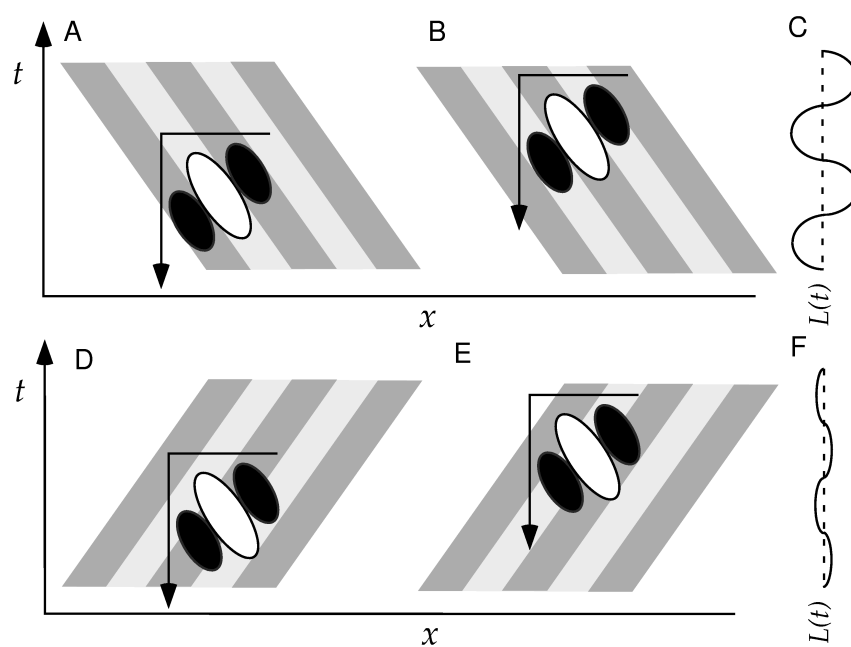


$$s(x, y, t) = G + A \cos(kx - \phi) \cos(\omega t)$$

Separable and inseparable response functions



Separable: motion sensitive;
not direction sensitive



Inseparable: motion sensitive;
and direction sensitive

Complex cells

Complex cells are sensitive to orientation, but, supposedly, not phase.

One model might be (neglecting time)

$$r(s(x, y)) = \left[\int dx dy s(x, y) \exp \left(-\frac{(x - c_x)^2}{2\sigma_x^2} - \frac{(y - c_y)^2}{2\sigma_y^2} \right) \cos(kx) \right]^2 + \left[\int dx dy s(x, y) \exp \left(-\frac{(x - c_x)^2}{2\sigma_x^2} - \frac{(y - c_y)^2}{2\sigma_y^2} \right) \cos(kx - \pi/2) \right]^2$$

But many cells do have some residual phase sensitivity. Quantified by (f_1/f_0 ratio).

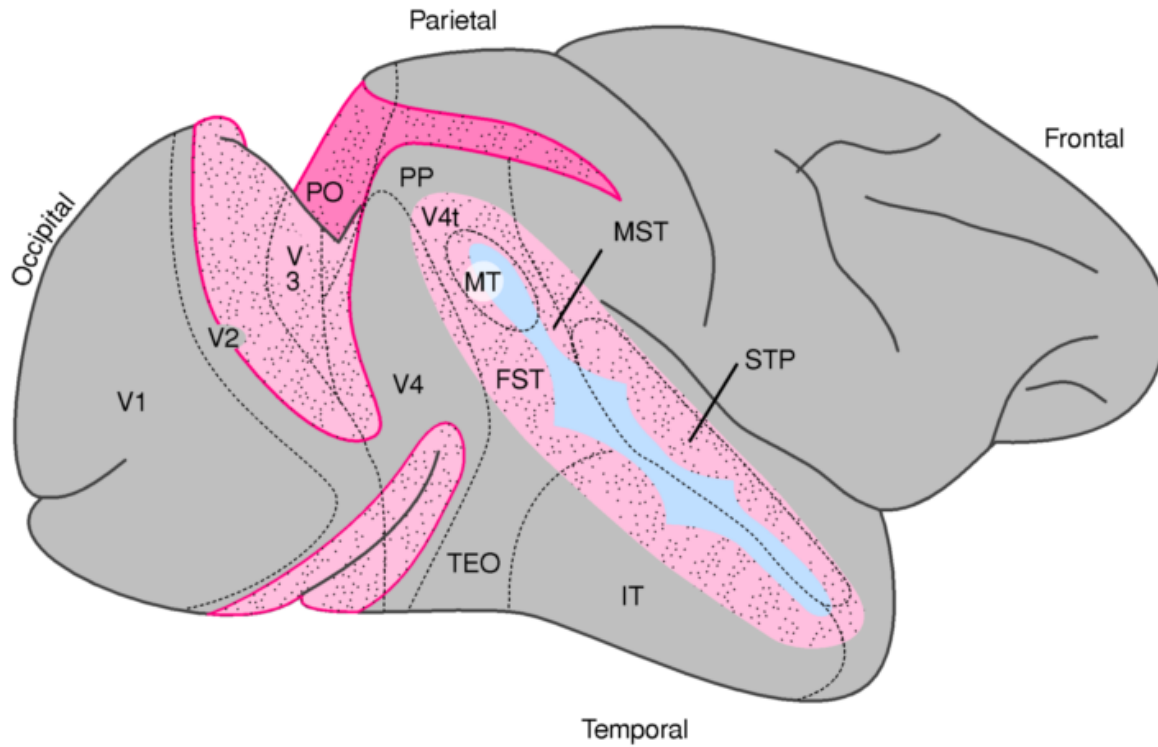
Stimulus-response functions (and constructive models) for complex cells are still a matter of debate.

Other V1 responses

- end-stopping
- blobs and colour
- surround effects
- . . .

Higher Visual Areas

A



B

