Can You Trust Your Model's Uncertainty? Evaluating Predictive Uncertainty Under Dataset Shift

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1. Motivation

- We typically assume that the test data is i.i.d. sampled from the same distribution as training data (e.g. cross-validation).
- In practice, deployed models are evaluated on non-stationary data distributions.
- **Distributions shift** (over time, seasonality, online trends , sensor degradation, etc.).
- They may be asked to predict on **out-of-distribution (OOD)** inputs.
- We study the behavior of the predictive distributions of a variety of modern deep classifiers under (realistic) dataset shift.
- Degradation of accuracy is expected under dataset shift, but do models remain calibrated?
- Do models become increasingly uncertain under shift?
- We present an open-source benchmark for uncertainty in deep learning.

2. Modeling Methods

We tested popular methods for uncertainty quantification.

- Vanilla: Baseline neural net model [Hendrycks & Gimpel, 2016]
- Temperature-Scaling: Post-hoc calibration by temperature scaling using an in-distribution validation set [Guo et al., 2017].
- **Dropout:** Monte-Carlo Dropout [Gal & Ghahramani, 2016].
- **Deep Ensembles:** Ensembles of *M* networks trained independently from random initializations [Lakshminarayanan et al., 2017]
- **SVI:** Stochastic Variational Bayesian Inference.
- Last Layer variants: Approximate Bayesian inference for parameters of the last layer only (i.e. LL-SVI, LL-Dropout).

3. Evaluation Metrics

In addition to accuracy, we also use the following metrics.

Calibration measures how well predicted confidence (probability of correctness) aligns with the observed accuracy.

Expected Calibration Error (ECE)

- Computed as the average gap between within-bucket accuracy and within-bucket predicted probability for S buckets.
- Does not reflect "refinement" (predicting class frequencies gives perfect calibration).

Negative Log-Likelihood (NLL)

• Also a proper scoring rule.

- Proper scoring rule.
- Can overemphasize tail probabilities

Brier Score

$$BS = \frac{1}{|\mathcal{Y}|} \sum_{y \in \mathcal{Y}} \left[p(y | \mathbf{x}_n, \theta) - \delta(y - y) \right]$$

• Quadratic penalty is more tolerant of low-probability errors than log.

Accuracy-vs-confidence to visualize the accuracy tradeoff when using prediction confidence as an OOD score.

Distributions of predictive entropy on OOD datasets.

Yaniv Ovadia*, Emily Fertig*, Jie Ren, Zachary Nado, D Sculley, Sebastian Nowozin, Joshua Dillon,

- $y_n)]^2$



- Accuracy degrades with increasing dataset shift regardless of the method (as expected), but lower accuracy is not reflected in model's uncertainty. • Similar trends on CIFAR-10.
- Ordering consistent when evaluating predictive entropy on OOD inputs.







https://github.com/google-research/google-research/tree/master/ ug benchmark 2019